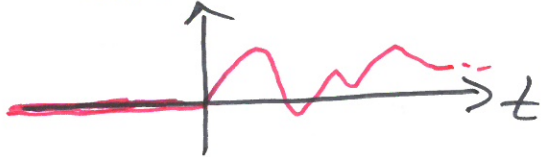


Möjliga konvergensområden

($x(t)$ med oändlig tidsutbredning):

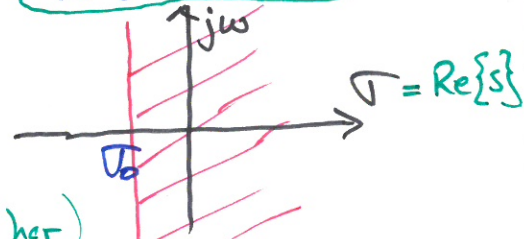
- Högersidig signal
 $x(t) = 0$ för $t < 0$
 $\Rightarrow x(t) = f(t) \cdot u(t)$



\Rightarrow

$$X_{II}(s) = X_I(s) = \int_{0^-}^{\infty} \dots$$

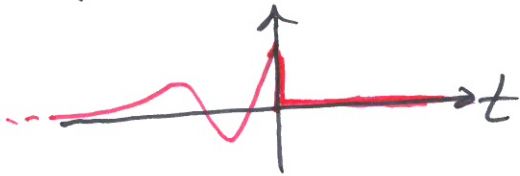
$$\text{Re}\{s\} = \sigma > \sigma_0$$



($X(s)$ har)

Högersidigt konvergensområde

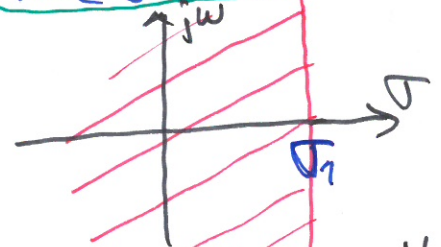
- Vänstersidig signal
 $x(t) = 0$ för $t \geq 0$
 $\Rightarrow x(t) = f(t) \cdot u_0(-t)$



\Rightarrow

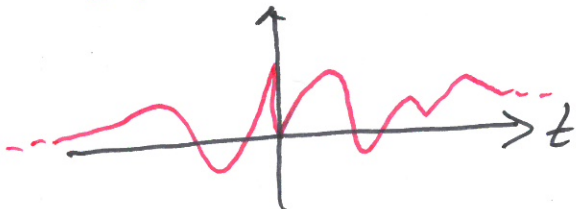
$$X_{II}(s) = \int_{-\infty}^{0^-} \dots$$

$$\text{Re}\{s\} < \sigma_1$$



Vänstersidigt konv. område

- Dubbelsidig signal
 $x(t) \neq 0$ för $t < 0$ & $t \geq 0$

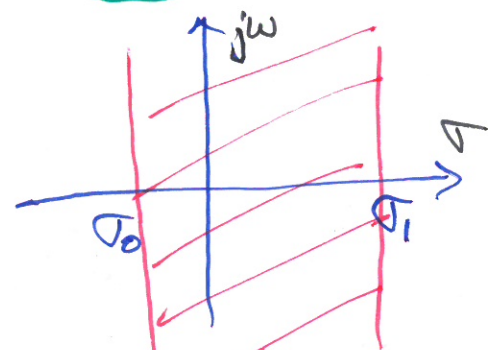


\Rightarrow

$$X_{II}(s) = \int_{-\infty}^{\infty} \dots = \int_{-\infty}^{0^-} \dots + \int_{0^+}^{\infty} \dots$$

$$\text{Re}\{s\} < \sigma_1 \quad \text{Re}\{s\} > \sigma_0$$

$$\Rightarrow \sigma_0 < \text{Re}\{s\} < \sigma_1$$



Dubbelsidigt konv. område



OBS: Om $\sigma_0 > \sigma_1 \Rightarrow X(s) \nexists$