

Robot Vision Systems

Lecture 3: Methods for Dense Matrices in OpenCV

Michael Felsberg

michael.felsberg@liu.se

Further Methods

- **Mat::diag**(int d=0) (d<0 upper, d>0 lower half)
- **Mat::convertTo**(OutputArray, int T[, double a, b)
convert to different type (T), after scaling by a and adding b
- **Mat::assignTo**(Mat&[, int T]) functional form of **convertTo**
- **Mat::reshape**(int k, int r=0) changes channels to k (0: no change) and rows to r (att: for new r, matrix must be continuous)

Excerpt: Reshape

- Very important = useful (i)Python example
 - import cv2.cv as cv
 - capture = cv.CaptureFromCAM(0)
 - img = cv.QueryFrame(capture)
 - A = cv.GetMat(img)
 - B = cv.CloneMat(A)
 - C = cv.Reshape(A,1)
 - C = cv.Reshape(A,0,512)
 - C = cv.Reshape(B,0,512)
 - cv.NamedWindow("camera", 1)
 - cv.ShowImage("camera", A)
 - cv.WaitKey(1)
 - cv.DestroyAllWindows()

Further Methods

- Explicit allocation
 - `Mat::create(int R, int C, int T)`, `Mat::create(Size size, int T)` 2D matrices
 - `Mat::create(int N, const int* sizes, int T)` ND matrices
- Explicit handling of references (avoid!)
 - `Mat::addref()` increase of counter
 - `Mat::release()` decrease + deallocation if necessary
- `Mat::resize(size_t R[, const Scalar& s])` resize to R rows, potentially fill with s
- `Mat::reserve(size_t R)` reserve R rows

Further Methods

- Using matrix as list
 - Mat::**push_back**(const T& elem)
 - Mat::**push_back**(const Mat& m)
 - Mat::**pop_back**(size_t nelems=1)
- ROI handling
 - Mat::**locateROI**(Size& size, Point& offs) returns offset and size of current ROI in embedding matrix
 - Mat::**adjustROI**(int dt, int db, int dl, int dr) changes ROI boundaries by respective values

Further Methods

- ROIs
 - `Mat::operator()` (Range, Range)
 - `Mat::operator()` (Rect&)
 - `Mat::operator()` (const Range*)
- `Mat::total()` number of elements (pixels)
- `Mat::channels()` number of channels
- `Mat::elemSize1()` `elemSize()/channels()`
- `Mat::step1(int)` step divided by `elemSize1()`
- `Mat::type()` type of elements
- `Mat::depth()` type/bit-depth (per channel)

Further Methods

- **Mat::size()** 2D matrix size
- **Mat::empty()** true if total() $=0$ or data=NULL
- **Mat::at(int[, int, int])** 1D (2D, 3D) access
- **Mat::at(Point)** 2D access
- **Mat::at(const int*)** ND access
- **Mat::begin()** iterator start
- **Mat::end()** iterator end

NAryMatIterator

- **NAryMatIterator**(const Mat** arrays, Mat* planes, int narrays=-1)
 - Element-wise operations on N multi-D arrays
 - Same geometry (dimensionality & sizes)
 - it.planes[0..N-1] are the (continuous!) slices of the corresponding matrices 0..N-1
- Typical example
 - NAryMatIterator it(&arrays, &planes, N);
 - for(int p = 0; p < it.nplanes; p++, ++it)
 {.. it.planes[n] ..}

Matrix Expressions

- Mat A,B; Scalar s; double alpha
 - Addition etc: $A+B$, $A-B$, $A+s$, $A-s$, $s+A$, $s-A$, $-A$
 - Scalar multiplication: $A*\alpha$
 - Per-element (Hadamard) multiplication and division: $A.\text{mul}(B,[\alpha])$, A/B , α/A
 - Matrix multiplication: $A*B$
 - Transposition: $A.t()$

Inversion

- (Pseudo) inversion, solving linear systems, LS:
 $A.\text{inv}([\text{method}])$, $A.\text{inv}([\text{method}])*B$
- Method:
 - DECOMP_LU: standard, LU-decomposition for non-singular matrices
 - DECOMP_CHOLESKY: symmetrical, positive definite matrices; 2x faster than LU
 - DECOMP_SVD: PI for singular / non-square matrices
 - Further: QR, EIG
 - DECOMP_NORMAL: normal equations

Matrix Expressions

- Per-element comparison: $>$, \geq , $==$, \neq , \leq , $<$ (between A, B, alpha)
- Bitwise logical: \sim , $\&$, $|$, \wedge (between A, B, s)
- Element-wise $\min()$, $\max()$ (for A, B, alpha)
- Element-wise $\text{abs}(A)$
- Cross- and dot-product (Frobenius) $A.\text{cross}(B)$, $A.\text{dot}(B)$
- $\text{norm}()$, $\text{mean}()$, $\text{sum}()$, $\text{countNonZero}()$, $\text{trace}()$, $\text{determinant}()$, $\text{repeat}()$

Operations on Arrays

- We omit operations that are more convenient to write as matrix expressions (e.g. `add()`, `addWeighted()`, `bitwise_YYYY()`, `compare()`, `divide()`, `gemm()`, `transpose()` ...)
- We omit very specific operations (`calcCovarMatrix()`, `cartToPolar()`, `getConvertElem()`, `getOptimalDFTSize()`, ...)
- Useful general operations:
 - Element-wise `absdiff(A,B,C)`, works also with scalars
 - `checkRange(A[, quiet=true, ...])` returns false / throws an exception if an element is NaN or inf
 - `completeSymm(A[, lowerToUpper=false])`: copies upper half to lower (depending on flag)

Operations on Arrays

- `convertScaleAbs(src, dst, alpha=1, beta=0)`: useful to generate image (dst, 8 bit) from a matrix src by affine mapping + absolute value
- `dct/dft(src, dst, flags=0)`: integral transforms
 - `DCT/DFT_INVERSE` flag
 - `DCT/DFT_ROWS` flag (row-wise 1D transforms)
 - `DFT_SCALE` divide by number of elements
 - `DFT_COMPLEX_OUTPUT` expand to full hermitian symmetry; usually packed real
 - `DFT_REAL_OUTPUT` assumes hermitian symmetry before inverse DFT

Operations on Arrays

- **eigen**(InputArray **src**, OutputArray **eigenvalues**[, OutputArray **eigenvectors**])
 - input matrix CV_32FC1 or CV_64FC1 type
 - square size
 - Symmetrical
- **exp**(InputArray **src**, OutputArray **dst**)
 - Point-wise exponential
 - NaN, Inf not handled
- Question: how to write mexp()?

Operations on Arrays

- `pow(InputArray src, double power, OutputArray dst)`
 - Non-integer powers: `abs(src)` used (!)
- `sqrt(InputArray src, OutputArray dst)`
- `log(InputArray src, OutputArray dst)`
- `phase(InputArray x, InputArray y, OutputArray angle, bool angleInDegrees=false)`
 - `angle = atan2(y,x)`
- `magnitude(InputArray x, InputArray y, OutputArray magnitude)`