Visual Object Recognition

Lecture 3: Descriptors



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Lecture 3: Descriptors

- Terminology
- An opportunity for machine learning DeCAF
- Some common descriptors HOG/SIFT, Detector+descriptor pairs, BRIEF, Random Ferns, GaborJet, GIST, Colour Histograms, Shape descriptors



- An observation is constructed by detection (deciding where to sample) followed by description (deciding how to sample)
- Detection is e.g. a canonical frame (LE2), or local affine region detection (LE4)
- The resulting **descriptor** is a vector **v** that can be compared to memory, e.g. match=True, if $||\mathbf{v} - \mathbf{m}_k|| < \varepsilon$



- Desirable properties of a **descriptor** vector:
 - 1. **invariance to nuisance parameters** such as illumination, small shifts in position and scale of the region
 - 2. **discriminative power** such that different objects can be told apart



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 $d(\mathbf{q}, \mathbf{p}_{\mathrm{right_model}}) = \mathtt{small}$ $d(\mathbf{q}, \mathbf{p}_{\mathrm{wrong_model}}) = \mathtt{large}$

• Nomenclature for **descriptor** properties:

1. Texture

Fine details, e.g. wrinkles

2. Colour

Surface reflectance properties.

3. Shape

Coarse details, e.g. contours and depth boundaries

• In there is overlap, caused by the estimation process.

Opportunity for Machine Learning

 With access to a large set of labeled examples, it is possible to use machine learning to find good image descriptors.



Dataset from: Brown, Hua, Winder, "Discriminative Learning of Local Image Descriptors", PAMI 2011

Opportunity for Machine Learning

- Methods to learn patch appearance (LE4,LE7) can be used.
 - + a learned descriptor can improve performance significantly, compared to a hand-coded one.
 - high-dimensional learning requires large amounts of training data.
 - learned descriptors are computationally expensive.
- Using hand-coded descriptors saves computations and is thus very common for practical applications.

Opportunity for Machine Learning

- Example: Jeff Donahue, Yangqing Jia et al., "DeCAF: A Deep Convolutional Activation Feature for Generic Visual Recognition", ArXiv'13
- DeCAF₆ and DeCAF₇ are pre-trained feature sets (i.e. descriptors) obtained by training the Convolutional Neural Network Classifier CAFFE on the ImageNet database (14M images, 1000 categories)
- The CNN had 5 convolutional layers, and three fully connected layers, 6-8, DeCAF₆ and DeCAF₇ are the outputs from layers 6&7.
- Demonstrated usefulness as generic descriptors, for object recognition, subcategory recognition, and scene recognition.

Designed descriptors

- Most descriptors in use today are still designed
- In practise, all designed descriptors have parameters that have been tuned, i.e. a form of learning is also used here

 A very simple descriptor is the intensity normalized patch we saw in LE2

$$\mathbf{v} = \frac{\tilde{\mathbf{v}} - \mu(\tilde{\mathbf{v}})}{\sigma(\tilde{\mathbf{v}})}$$

• where $\tilde{\mathbf{v}} = \begin{bmatrix} f(\mathbf{x}_1) & \dots & f(\mathbf{x}_n) \end{bmatrix}^T$ $\mathbf{x}_n \in \text{patch}$

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- Why not use ZNCC? (see LE6) $d(\mathbf{v}_1, \mathbf{v}_2) = \texttt{zncc}(\tilde{\mathbf{v}}_1, \tilde{\mathbf{v}}_2)$

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descriptor comparison should be separable over descriptor dimensions.

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• where $\tilde{\mathbf{v}} = \begin{bmatrix} f(\mathbf{x}_1) & \dots & f(\mathbf{x}_n) \end{bmatrix}^T$ $\mathbf{x}_n \in \text{patch}$

 We will now go through some commonly used, and more advanced descriptors.

 Nearly identical to the SIFT-descriptor (LE4), but adapted to dense grids



• Compute gradient with small filters $\nabla f(\mathbf{x}) = (f * \begin{bmatrix} d_x \\ d_y \end{bmatrix})(\mathbf{x}) \qquad \begin{array}{l} d_x = \begin{bmatrix} -1 \ 0 \ 1 \end{bmatrix} \\ d_y = \begin{bmatrix} -1 \ 0 \ 1 \end{bmatrix}^T \end{array}$

• Perform orientation binning with

$$h_k = \sum_{\mathbf{x} \in \text{cell}} |\nabla f(\mathbf{x})| B_k(\tan^{-1} \nabla f(\mathbf{x}))$$



- Each cell now contains K values (K=9) $\mathbf{h}_{l} = \begin{bmatrix} h_{l,0} & \dots & h_{l,9} \end{bmatrix}^{T}$
- These are grouped into 2x2 blocks $\tilde{\mathbf{b}} = \begin{bmatrix} \mathbf{h}_1^T & \mathbf{h}_2^T & \mathbf{h}_3^T & \mathbf{h}_4^T \end{bmatrix}^T$
- and finally, the blocks are normalized $\mathbf{b} = \tilde{\mathbf{b}}/\|\tilde{\mathbf{b}} + \epsilon\|$

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 Blocks typically overlap, so each cell belongs to several blocks

 The HOG descriptor was introduced in the paper "Histograms of Oriented Gradients for Human Detection", Dalal & Triggs, CVPR'05



• Still very common (>9500 citations in Google Scholar)

Detector+descriptor pairs

- SIFT, Scale Invariant Feature Transform [D. Lowe ICCV'99, IJCV'04]
- An interest point detector (DoG) + a descriptor
- 4x4 HOG blocks, with a single common normalization
- Other common detector+descriptor features: SURF, BRISK, ORB, SFOP, FREAK (Covered in LE4)

BRIEF

- M. Calonder et al., "BRIEF: Binary Robust Independent Elementary Features", ECCV'10, (also PAMI'12)
- A binary descriptor based on intensity differences of pixel pairs, \mathbf{x}, \mathbf{y} $\tau(\mathbf{x}, \mathbf{y}) = \begin{cases} 1 & \text{if } I(\mathbf{x}) < I(\mathbf{y}) \\ 0 & \text{otherwise.} \end{cases}$ • $\mathbf{p} = \sum_{i=1}^{n_d} 2^{i-1} \tau(\mathbf{x}_i, \mathbf{y}_i)$
- $\mathbf{x}, \mathbf{y} \in \mathcal{N}(0, S^2/25)$ for an SxS patch.

BRIEF

- M. Calonder et al., "BRIEF: Binary Robust Independent Elementary Features", ECCV'10, (also PAMI'12)
- 256 **bit** instead of e.g. 128 **byte** for SIFT (4x size reduction)
- Descriptor comparison is done with $d({\bf p},{\bf q}) = {\rm bitcnt}({\rm XOR}({\bf p},{\bf q}))$
- Very efficient when supported by machine SIMD instructions (e.g. SSE4+ and ARM NEON)

BRIEF related

- Detector+descriptors: BRISK, FREAK, ORB are all based on BRIEF.
- Census transform (R. Zabih, J. Woodfill, ECCV'94) Compare central pixel to neighbours in patch and check signs.
- Local binary pattern (LBP) (T. Ojala et al., JMLR'96)
 Compare central pixel to neighbours in a circle and check signs.
- Maximum entropy matching by F. Lundberg at CVL ("Vision for a UAV helicopter", K. Nordberg et al. IROS'02 ws.) describes 256 bit descriptor with x,y uniformly sampled in 32x32 patch.

Random Ferns

- M. Özuysal, P. Fua, V. Lepetit, "Fast Keypoint Recognition in Ten Lines of Code", CVPR'07
- Treats descriptor matching as a classification problem.
 Each patch on an object is treated as a class.
- Split BRIEF style bit tests f_j into groups called **ferns** (a fern is typically S=10 bit tests)

$$F_k = \sum_{j=1}^{S} 2^{i-1} f_{j,k}$$

• Train patch appearance on re-sampled local neighbourhood with added noise.

Random Ferns

• Train patch appearance on re-sampled local neighbourhood with added noise. $D(model [T]) \rightarrow D([T])$

 $P(\operatorname{patch}_{i}|\{F_{k}\}) \approx P(\{F_{k}\}|\operatorname{patch}_{i}) \approx \prod_{i} P(F_{k}|\operatorname{patch}_{i})$

- Many samples are needed $(2^{S}=1024 \text{ bins to populate, for S}=10)$
- Frequency count with rule of succession bias (aka. Dirchlet prior)

$$P(F_k | \texttt{patch}_i) = \frac{n_{k,i} + 1}{\sum_j n_{k,j} + 1}$$

• i.e. for unpopulated bins, a uniform class distribution is assumed.

Gabor Jet

• A set of responses from filters that are oriented and localized wavelets

 $g(\mathbf{x},\omega,\hat{\mathbf{n}},\phi,\sigma) = \exp(i\omega\hat{\mathbf{n}}^T\mathbf{x} + i\phi)\exp(-\mathbf{x}^T\mathbf{x}/2\sigma^2)$



• A **filter bank**. Other filter banks include e.g. derivative filters in multiple scales, and wavelets.

Gabor Jet

 Filter banks are typically used to classify texture, e.g. E. Hayman et al. "On the Significance of Real-World Conditions for Material Classification", ECCV'04



GIST

- A. Olivia and A. Torralba, "Modeling the Shape of the Scene: A Holistic Representation of the Spatial Envelope", IJCV'01
- A global feature for images that is useful in scene categorization.
- Motivation: Perceptual studies indicate that scene category is recognized before semantic information such as objects and their relations.

GIST

Scene categorization dataset



J. Vogel et al. "Categorization of Natural Scenes: Local versus Global Information and the Role of Color", Applied Perception 2007

GIST examples



 Gabor jets in 4x4 grid (4 scales, 8 directions) on downsampled images (128x128) 512 element descriptor.

GIST examples



http://people.csail.mit.edu/torralba/code/spatialenvelope/

 Gabor jets in 4x4 grid (4 scales, 8 directions) on downsampled images (128x128) 512 element descriptor.

Colour histograms

 Many different variants. E.g. from C. Carson et al. "Blobworld: A system for region-based image indexing and retrieval", ICVIS'99

Transform region of interest into La*b* colour space.
 Use coarse binning of Lab space, 5x10x10 bins
 select the 218 bins that fall within the RGB gamut.

Spatial position is discarded.
 ⇒ Shift insensitive, scale insensitive.

Colour histograms

- Colour Names, J. van de Weijer et al. "Learning Color Names for Real-world Applications", TIP'09
- Label pixels as one of 11 different colours:

black	blue	brown	grey	green	orange	pink	purple	red	white	yellow

- Non-uniform decision regions in Lab space.
- Descriptor by histogramming.

Difficult cases for Descriptors

Background clutter in 3D scenes



 Patches cut out around features will have varying background.

Difficult cases for Descriptors

Large illumination changes



- Gradient strength changes non-uniformly.
- Contrast may be inverted.

Contour SIFT

 Idea: Use a detector that produces contours, e.g. MSER or MSCR



Input image

64 random MSER- regions

Region shape is robust to changes outside the region

Contour SIFT

 Compute a descriptor from the binary mask of the region instead of the grey-scale patch.





• Less descriptive patches, but more robust to illumination and background clutter

Contour SIFT

- Shape Descriptors for Maximally Stable Extremal Regions, Forssén&Lowe, ICCV'07
- Use the "standard SIFT pipeline"
- Re-tune all parameters to maximise performance on binary patches.
- Use detected correspondences on Mikolajczyk's data set for parameter tuning.

Shape descriptors

- Other common shape descriptors are: the shape context descriptor, and Fourier descriptors.
- Shape Context descriptors:
 S. Belongie, J. Malik, J. Piuzicha, "Shape Matching and Object Recognition Using Shape Contexts", IEEE TPAMI 2002
- Fourier descriptors:

Granlund, G.H.: "Fourier Preprocessing for Hand Print Character Recognition". IEEE Trans. on Computers C–21(2), 195–201 (1972)

Shape descriptors

- S. Belongie, J. Malik, J. Piuzicha, "Shape Matching and Object Recognition Using Shape Contexts", IEEE TPAMI 2002
- Log-polar histogram of points along the contour of a binary mask.



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Shape descriptors

- F. Larsson, M. Felsberg, P.-E. Forssén, "Correlating Fourier descriptors of local patches for road sign recognition", 2011, IET Computer Vision, (5), 4, 244-254.
- Represent points along contour as complex numbers z(t)=x(t)+iy(t), and apply the Fourier transform on the resultant periodic signal.



Figure 2.2: Shape signature based on distance to the center of gravity.

Summary

- Descriptors estimate shape, texture and colour.
- Descriptors can be learned, but for speed, and in practise, hand coded descriptors are more common.
- Descriptors where comparison is separable allow fast ANN search.

Discussion

• Questions/comments on paper:

M. Calonder et al., "BRIEF: Binary Robust Independent Elementary Features", ECCV'10, (or extended version in PAMI'12)

Next week

paper to read for next week:

S. Leutenegger et al., "BRISK: Binary Robust Invariant Scalable Keypoints", ICCV'11